

Optimization of Fine Line Screen Printing Using In-Depth Screen Mesh Analysis

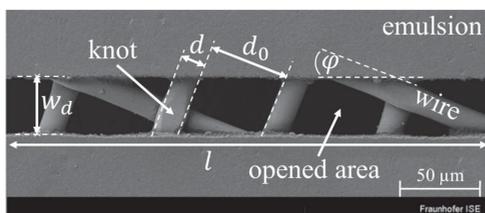
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INTRODUCTION TO SCREEN PARAMETERS

- Reducing finger width further creates new challenges in optimization of screen design parameters
- Detailed knowledge of all existing opened areas and locations of knots inside the channel is necessary to improve paste-transfer

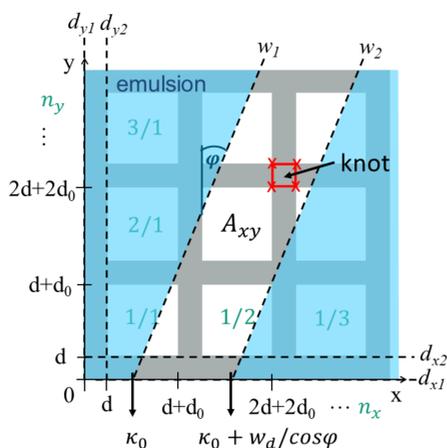


Screen parameters (SEM image adapted from A. Lorenz, Dissertation Thesis, 2017)

MODEL DESCRIPTION

Two-dimensional MATLAB-Model with

- Previously adjustable parameters: $MC, d, w_d, \varphi, l, \kappa_0$
- Mesh definition: $d_{x1}, d_{x2}, d_{y1}, d_{y2}$
- Emulsion (channel edges): w_1, w_2
- Calculation of all intersections in each iteration step n_y
- Sorting intersections with Boolean program structure to calculate all opened areas A_{xy}



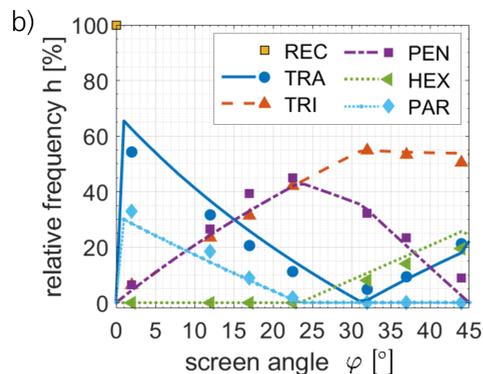
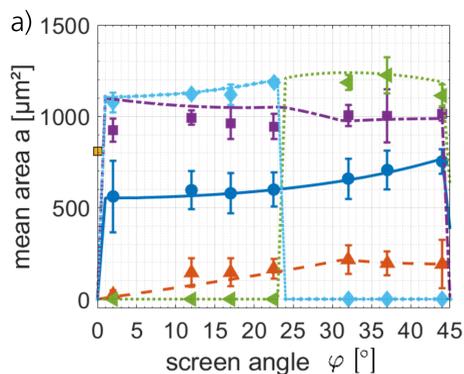
Analytical model for screen construction

- **Simulation output: shape, area and exact location of every opened area as well as number and location of knots inside the channel**

MODEL VERIFICATION

Verification with microscopic images of 430/13 mesh, four different channel widths from $w_d = 15 \mu\text{m} - 24 \mu\text{m}$ and six different screen angles between $0^\circ < \varphi < 45^\circ$

- Shape differentiation between rectangles (REC, only at $\varphi = 0^\circ$), trapezoids (TRA), triangles (TRI), pentagons (PEN), hexagons (HEX) and parallelograms (PAR)
- Triangles have smallest area and occur most frequently of all shapes for $\varphi > 23.38^\circ$
- Smaller screen angles ($\varphi < 23.38^\circ$) are beneficial in terms of lower number of clogged areas due to particle size in the paste



Verification approach: simulation results (lines) and measured data (symbols) for different geometrical shapes in dependence on the screen angle

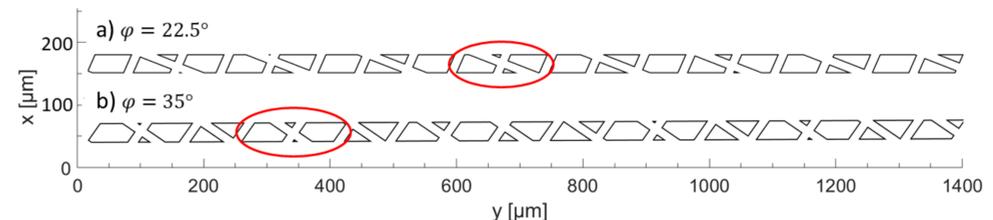
CONCLUSION

- New evaluation parameters (standard deviation and periodic length of the local open area) have been introduced
- Reducing channel width requires higher screen angles (e.g. 35°), finding a new optimum of a small periodic length and low standard deviation

IMPROVED SCREEN ANGLE

Advantages of $\varphi = 35^\circ$

- Reduced standard deviation, periodic length and number of knots
- Larger opened area around the knots



Comparison of screen angle $\varphi = 35^\circ$ with standard $\varphi = 22.5^\circ$ (380/14 mesh, $w_d = 30 \mu\text{m}$)

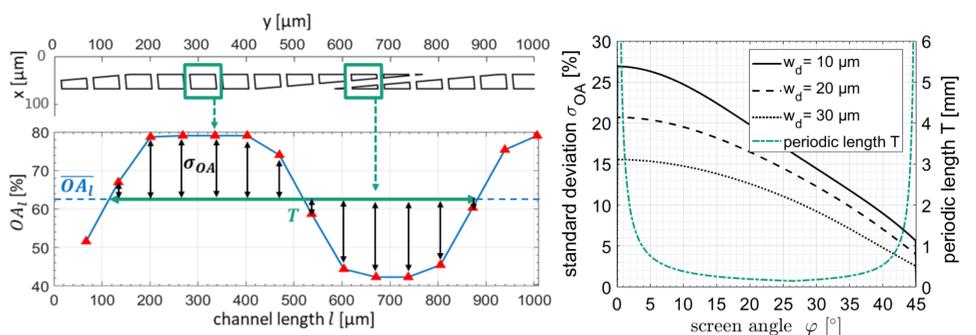
THE LOCAL OPEN AREA

Standard deviation $\sigma_{OA} [\%]$

- ... should be decreased with e.g.
- Increasing the screen angle or channel width or
- Decreasing the wire diameter

Periodic length $T [\text{mm}]$

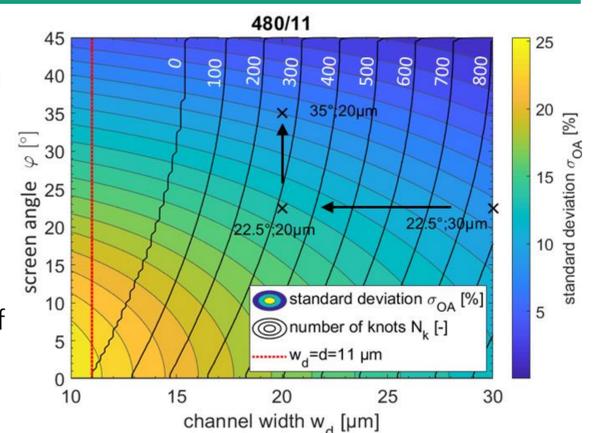
- ... should be decreased with
- Increasing the mesh count or
- Minimum between screen angles $20^\circ - 30^\circ$



Oscillating behavior of the local open area OA_i and derived evaluation parameters: standard deviation and periodic length with a 380/14 mesh and $w_d = 30 \mu\text{m}$ (left: $\varphi = 5^\circ$)

CUMULATED RESULTS

- Standard deviation is maximal at narrow channel widths and small screen angles
- Reducing the channel width ... requires higher screen angles to maintain (or reduce) the standard deviation
- ... decreases the number of knots, however resulting in unfavorable ratios of d/w_d



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